

DATE: lec2

SUBJECT: Control Systems

Introduction to Simulink.

■ analysing

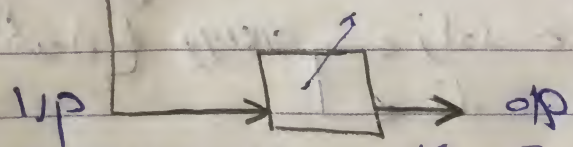
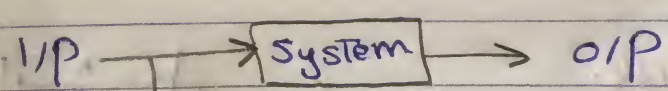
closed loop \rightarrow it still open loop until we start to enhance it at this time we say it is closed loop.

Physical meaning of stability \Rightarrow all system are stable

stability \rightarrow it appear when there are outside parameter effect on the system.
 \rightarrow so we use stability to protect the system from affecting by this parameters.

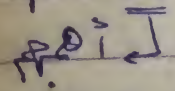
energ is related to stability
 we need to reduce energy losses.

System \rightarrow physical Body need to future prediction
 ① characteristic « model, observation »
 estimator depend on « adaptor » adapt itself and tell us the needed information



نظام آخر مكافئ للأصل حتى يتأدى energy « O/P » في 2

1. adap (A, B, C, D)



↳ direct Transmission

2. estimator « All variable »

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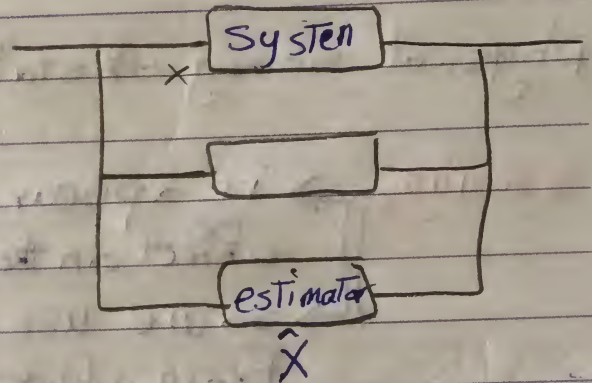
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A → Eigen value of P system \approx poles
 → A matrix can transfer into the diagonal matrix in this case.
 → The diagonal values is equal eigen value.

ex $\dot{X} = AX$

SI $X(s) - X(0) = A X(s)$

$(SI - A) X(s) = X(0)$



check linearity

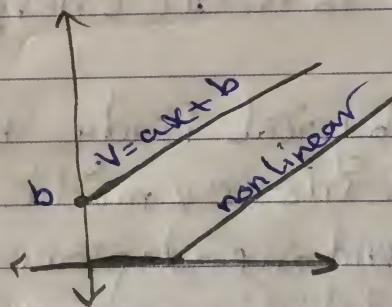
① Ohm

نُوف مدي عَقْم قَانُون أَي مَلَا تَرُو دُفِي الدُخْل عِب أَن تَكُون الزِيَادَةُ
 المَرْج بِنَفْس المَقْدَار

2. Super position

$V = ax + b$

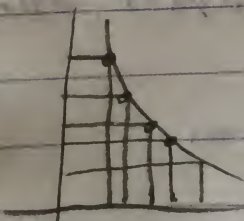
multi o/p في حالة تعرض النظام إلى multi i/p
 multi i/p



Characteristic Curve

منحنى التَّحْيِيل

Stability ← energy ← زيادة
 instability ← قلت



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* The main objective of any system is to obtain eigen value.

Jordan Form \Rightarrow all the upper $1, 0$
 eigen value \rightarrow diagonal \rightarrow - stable
 at least 1 (+) unstable
 only stable & critical
 2's unstable.

$$\begin{pmatrix} \dot{x}_1 \\ \dot{x}_2 \end{pmatrix} = \begin{pmatrix} 0 & 1 \\ 0 & 0 \end{pmatrix} \begin{pmatrix} x_1 \\ x_2 \end{pmatrix}$$

• $x_1 = x_2 = \text{const}$ $\frac{dx_1}{dt} = x_2 \Rightarrow x = t$
 • $x_2 = 0$ all the time \Rightarrow $\frac{dx_1}{dt} = 0$

matrix \Rightarrow $\frac{dx}{dt} = Ax$

1 - eigen value.

2 - eigen vector eigen value \Rightarrow $\frac{dx}{dt} = Ax$

independency \Rightarrow $\frac{dx}{dt} = Ax$

System can be invertible if parameters "eigen value" non zero

B

"Controllable or not controllable"

Controllable \Rightarrow i/p \rightarrow o/p \Rightarrow is the ability of the i/p to change the state of variable from one point to another in a specific time.